

#### Weather Variable for Winter Load

LFU Phase 3 Analysis

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# Agenda

- Background and Objectives
- Problem Statement
- Methodology
- Results



# **Background and Objective**

- NYISO has historically been a summer peaking system
- Primary emphasis has been on summer Load Forecast Uncertainty (LFU) modeling
- With more electrification of heating load in the future, the system is projected to transition to winter peaking
- The objective is to develop an improved weather variable for predicting winter peak load
  - Univariate approach provides simple framework for defining uncertainty and calculations are simpler than multivariate approach
  - Simple weather normalization calculation
  - Simple interpretation of weather sensitivity

Preliminary analysis was presented at the 9/27/2022 LFTF (Link)



## Assumption

### Winter peak load is a quadratic function of weather variable

- $peak = \beta_0 + \beta_1 \mathbf{X} + \beta_2 \mathbf{X}^2 + binary terms + e$ Where  $\mathbf{X}$  is weather variable
- 2020 variable: HDD\_55
- 2022 variable: Combination of daily maximum, minimum and 6pm temperature
- In both cases, the winter peak load showed a quadratic relationship with the winter variable

#### 2022 Winter LFU (Link)





#### 2020 Winter LFU (Link)

#### Adjusted R-Squared: 0.927

	Coef.	Std.Err.	t	P> t
Intercept	19500.95	128.6435	151.5891	0
HDD_55	43.0524	9.7942	4.3957	0
HDD_552	1.308	0.1968	6.6479	0
CP_2017_18	651.6266	59.6048	10.9324	0
CP_2018_19	387.0183	58.3658	6.6309	0
Jan	-255.984	58.6974	-4.3611	0
Feb	-795.702	58.551	-13.5899	0
WkEnd	-1489.18	53.9265	-27.615	0
Fri	-425.439	69.1682	-6.1508	0



🛑 New York ISO

### **Problem Statement**

- Main Assumption: Winter peak load (Y) is a function of variable, say X and  $X^2$  and other non-weather sensitive variables
  - **X** is a linear combination different weather variables  $X_1, X_2, X_3, \dots, X_n$

$$Y = \beta_0 + \beta_1 X + \beta_1 X^2 + other non weather terms + e$$
$$X = \sum_{i=1}^n w_i X_i = w_1 X_1 + w_2 X_2 + w_3 X_3 + \dots + w_n X_n$$

Our goal is to find optimal set of weights  $(w_1, w_2, w_3, \dots, w_n)$ 



### **Initial Summary Variables**

Variable	Explored in 9/27/2022 Analysis	$X_{Mor} = Avg(X_{HB06} \sim X_{HE})$
Average Morning Dry Bulb (DB) Temperature	Х	$X_{Aft} = Avg(X_{HB12} \sim X_{HB})$ $X_{Eve} = Avg(X_{HB18} \sim X_{HB})$
Average Morning Wind Chill (WC)		
Average Afternoon Dry Bulb Temperature	Х	Wind Chill, WC = f( <b>DB</b> , WS > <b>DB</b> = Dry Bulb Temperature (°F
Average Afternoon Wind Chill		➤ WS = Wind Speed (mph)
Average Evening Dry Bulb Temperature	Х	
Average Evening Wind Chill		
Average Lag Evening Dry Bulb Temperature	Х	

 $WC = 35.74 + 0.6215(DB) - 35.75(WS^{0.16}) + 0.4275(DB)(WS^{0.16})$ 

https://www.weather.gov/ama/windchill



# Methodology

- Start with a random set of values of  $w_1, w_2, w_3, \dots, w_n$  and calculate X as  $\sum_{i=1}^{n} w_i X_i$
- Make a regression model with winter peak as dependent variable Y and X, X<sup>2</sup> as independent variables, along with other nonweather variables.
  - Data:
  - Dec, Jan, Feb
  - 2017-18, 2018-19, 2021-22, 2022-23
  - Weekends included
  - Holidays removed
- Calculate coefficients of the regression model.
- Using the coefficients and design matrix, calculate predicted peak load Ŷ
- Calculate sum of squared error, as  $\sum e^2 = \sum (Y_i - \hat{Y}_i)^2$
- Vary  $w_1, w_2, w_3, \dots, w_n$  so that  $\sum e^2$  is minimized



#### **Candidate Variables**

Candidate 1	Candidate 2
<ul> <li>Pass 1</li> <li>All seven summary variables (including lag evening temperature) were considered for initial optimization</li> <li>Optimization was performed for all zones</li> <li>A weight set was chosen based on the load weighted average</li> <li>Initial optimization provided an "in-day" metric</li> </ul>	<ul> <li>Initially 6 variables (w/o lag evening temperature) were used to the in-day metric</li> <li>Final weather metric was built by taking a weighted average of three days (in-day metric and 2 lag terms)</li> <li>One round of optimization</li> <li>Weight set was guided by the load weighted average</li> </ul>
<ul> <li>Pass 2</li> <li>Second round optimization was performed to investigate lag impact of the initial optimized weather metric</li> <li>A weight set (applicable for the in-day and 2 lag terms) was chosen based on the load weighted average</li> </ul>	



#### **Results – Candidate 1**

#### Candidate 1 – Pass 1

	Mori	ning	After	noon	Ever	ning	Lag 1 Evening	
Zone	DB	WC	DB	WC	DB	WC	DB	Zo
Α	0.0%	6.6%	0.0%	85.4%	0.0%	7.8%	0.2%	
В	7.9%	0.0%	1.2%	48.3%	0.0%	17.4%	25.3%	
С	12.3%	0.0%	12.2%	35.6%	0.0%	15.4%	24.6%	
D	9.3%	3.2%	0.0%	27.0%	16.8%	14.3%	29.4%	
E	0.0%	1.6%	0.0%	45.2%	0.0%	13.2%	40.0%	
F	0.0%	0.0%	44.5%	26.7%	0.0%	3.1%	25.7%	
G	6.0%	0.0%	54.3%	6.6%	0.0%	13.4%	19.6%	
н	0.0%	0.0%	72.7%	2.5%	0.0%	4.9%	19.8%	
I	0.0%	11.5%	36.2%	16.5%	0.0%	12.3%	23.4%	
J	0.0%	0.0%	46.1%	8.5%	0.0%	14.2%	31.1%	
К	0.0%	1.1%	32.2%	26.3%	7.9%	11.7%	20.7%	
Load Wgt Avg	2.5%	1.4%	29.7%	27.9%	1.6%	12.4%	24.5%	Load V
Recommended	0.0%	0.0%	35.0%	25.0%	0.0%	15.0%	25.0%	

	R-Sq	Value
Zone	Optimized	Recommended
A	86.9%	85.4%
В	89.1%	88.9%
C	91.2%	91.0%
D	92.0%	91.8%
E	88.5%	87.1%
F	89.4%	88.9%
G	90.0%	89.6%
Н	77.5%	75.8%
Ι	83.1%	82.9%
J	95.2%	95.0%
К	93.1%	93.0%

	Γ	Load Wgt Avg	91.2%	90.8%
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In-Day Var for day  $i, v_i = 0.35 DB_{aft_i} + 0.25 WC_{aft_i} + 0.15 WC_{eve_i} + 0.25 DB_{aft_{i-1}}$ 



#### **Results – Candidate 1**

#### Candidate 1 – Pass 2

		Variable v	
Zone	In Day (i)	Lag 1 (i-1)	Lag 2 (i-2)
А	100.0%	0.0%	0.0%
В	88.8%	0.0%	11.2%
С	87.4%	0.0%	12.6%
D	87.3%	6.9%	5.8%
E	80.1%	5.4%	14.5%
F	84.1%	0.0%	15.9%
G	88.0%	0.0%	12.0%
Н	88.1%	2.2%	9.7%
I	85.4%	0.0%	14.6%
J	83.8%	5.7%	10.5%
К	88.8%	0.0%	11.2%

	R-Sq	Value
Zone	Optimized	Recommended
A	85.4%	84.2%
В	89.6%	89.5%
С	92.0%	92.0%
D	91.9%	91.9%
E	88.9%	88.8%
F	90.6%	90.6%
G	90.5%	90.4%
н	76.5%	76.4%
I	83.8%	83.8%
J	95.7%	95.7%
К	93.6%	93.5%

Load Wgt Avg	87.1%	2.3%	10.6%

85.0%

Load Wgt Avg	91.6%	91.4%

Candiate<sub>1</sub> for day  $i = 0.85v_i + 0.15v_{i-2}$ 

0.0%

15.0%



Recommended

#### **Results – Candidate 2**

#### Single Pass

	Mori	ning	After	noon	Ever	ning	La	ıg 1 Eveniı	ng		R-Sq	Value
Zone	DB	WC	DB	WC	DB	WC	In-Day	Lag 1	Lag 2	Zone	Optimized	Recommended
Α	0.0%	6.6%	0.0%	85.7%	0.0%	7.7%	99.8%	0.2%	0.0%	А	86.9%	85.2%
В	27.0%	0.0%	3.1%	51.3%	0.0%	18.6%	81.6%	7.8%	10.6%	В	89.5%	89.3%
С	31.2%	0.0%	16.7%	35.8%	0.0%	16.3%	81.4%	7.1%	11.4%	С	91.8%	91.5%
D	30.2%	0.1%	0.0%	33.4%	17.2%	19.1%	75.5%	21.9%	2.6%	D	92.1%	91.7%
E	6.0%	23.4%	0.0%	57.4%	0.2%	13.0%	70.2%	17.6%	12.2%	E	88.5%	87.3%
F	24.8%	0.0%	1.6%	61.0%	0.0%	12.6%	78.5%	9.5%	12.1%	F	89.7%	89.9%
G	22.8%	0.0%	54.9%	7.7%	0.0%	14.7%	82.4%	5.0%	12.7%	G	90.8%	90.2%
н	3.6%	0.0%	90.6%	2.4%	1.3%	2.1%	80.2%	11.4%	8.4%	н	77.9%	75.9%
I	0.0%	30.0%	46.8%	10.3%	0.0%	12.9%	77.4%	6.7%	15.9%	I	84.1%	83.6%
J	17.4%	4.6%	53.3%	9.4%	0.0%	15.3%	74.9%	15.1%	10.1%	J	95.6%	95.3%
К	8.1%	7.0%	40.0%	28.6%	3.6%	12.7%	80.3%	5.4%	14.3%	К	93.9%	93.7%
	-					_						
Load Wgt Avg	16.4%	5.4%	30.9%	32.2%	1.1%	14.0%	79.8%	10.0%	10.2%	Load Wgt Avg	91.7%	91.2%
Recommended	15.0%	0.0%	35.0%	35.0%	0.0%	15.0%	80.0%	10.0%	10.0%			

In-Day Var for day i,  $v_i = 0.15 DB_{mor_i} + 0.35 DB_{aft_i} + 0.35 WC_{aft_i} + 0.15 WC_{eve_i}$ 

Candiate<sub>2</sub> for day  $i = 0.8v_i + 0.1v_{i-1} + 0.1v_{i-2}$ 

### **LFU Model Comparison**

WinVar = HDD55								
	Coefficient	StdErr	T-Stat	P-Value				
CONST	18429.006	151.477	121.662	0.00%				
WinVar	88.405	14.472	6.109	0.00%				
WinVar_sq	0.411	0.354	1.159	24.89%				
HDD55.CY_21_22	356.84	67.683	5.272	0.00%				
Calendar.Feb	-548.651	78.55	-6.985	0.00%				
Calendar.Jan	-136.782	79.359	-1.724	8.75%				
Calendar.Fri	-187.627	82.982	-2.261	2.57%				
R-Sq	88.80%							

WinVar = combination of max, min and HB18 temp						
	Coefficient	StdErr	T-Stat	P-Value		
CONST	18626.267	121.082	153.832	0.00%		
WinVar	87.623	12.585	6.963	0.00%		
WinVar_sq	0.491	0.344	1.427	15.63%		
HDD55.CY_21_22	372.534	64.236	5.799	0.00%		
Calendar.Feb	-499.481	74.582	-6.697	0.00%		
Calendar.Jan	-148.708	75.563	-1.968	5.15%		
Calendar.Fri	-353.113	78.495	-4.499	0.00%		
R-Sq	89.90%					

WinVar = Candidate_1_55						
	Coefficient	StdErr	T-Stat	P-Value		
CONST	18399.032	124.525	147.754	0.00%		
WinVar	85.091	12.128	7.016	0.00%		
WinVar_sq	0.607	0.294	2.061	4.16%		
HDD55.CY_21_22	326.783	51.046	6.402	0.00%		
Calendar.Feb	-550.54	59.546	-9.246	0.00%		
Calendar.Jan	-223.657	60.79	-3.679	0.04%		
Calendar.Fri	-302.949	62.508	-4.847	0.00%		
R-S	93.60%					

WinVar = Candidate_2_55							
	Coefficient	StdErr	T-Stat	P-Value			
CONST	18467.695	113.095	163.294	0.00%			
WinVar	82.464	10.564	7.806	0.00%			
WinVar_sq	0.476	0.249	1.914	5.82%			
HDD55.CY_21_22	347.808	50.474	6.891	0.00%			
Calendar.Feb	-559.535	59	-9.484	0.00%			
Calendar.Jan	-229.814	60.228	-3.816	0.02%			
Calendar.Fri	-342.889	61.887	-5.541	0.00%			
R-Sq	93.70%						

- Data: 2021-22, 2022-23, weekday, Dec Feb, holidays removed
- Candidate variables were referenced to 55



### **LFU Model Comparison**



#### Recommendation

- Both candidate 1 and 2 show significant improvement in overall fits relative to the variables used in prior years
- Both candidates have "lag" component
- NYISO proposes to use candidate 2 for winter LFU to be used in IRM 2024 LFU
  - Candidate 2 calculation is simpler
  - Candidate 2 lag weights are more intuitive



# **Questions?**



### **Our Mission & Vision**

 $\checkmark$ 

#### **Mission**

Ensure power system reliability and competitive markets for New York in a clean energy future



#### Vision

Working together with stakeholders to build the cleanest, most reliable electric system in the nation

